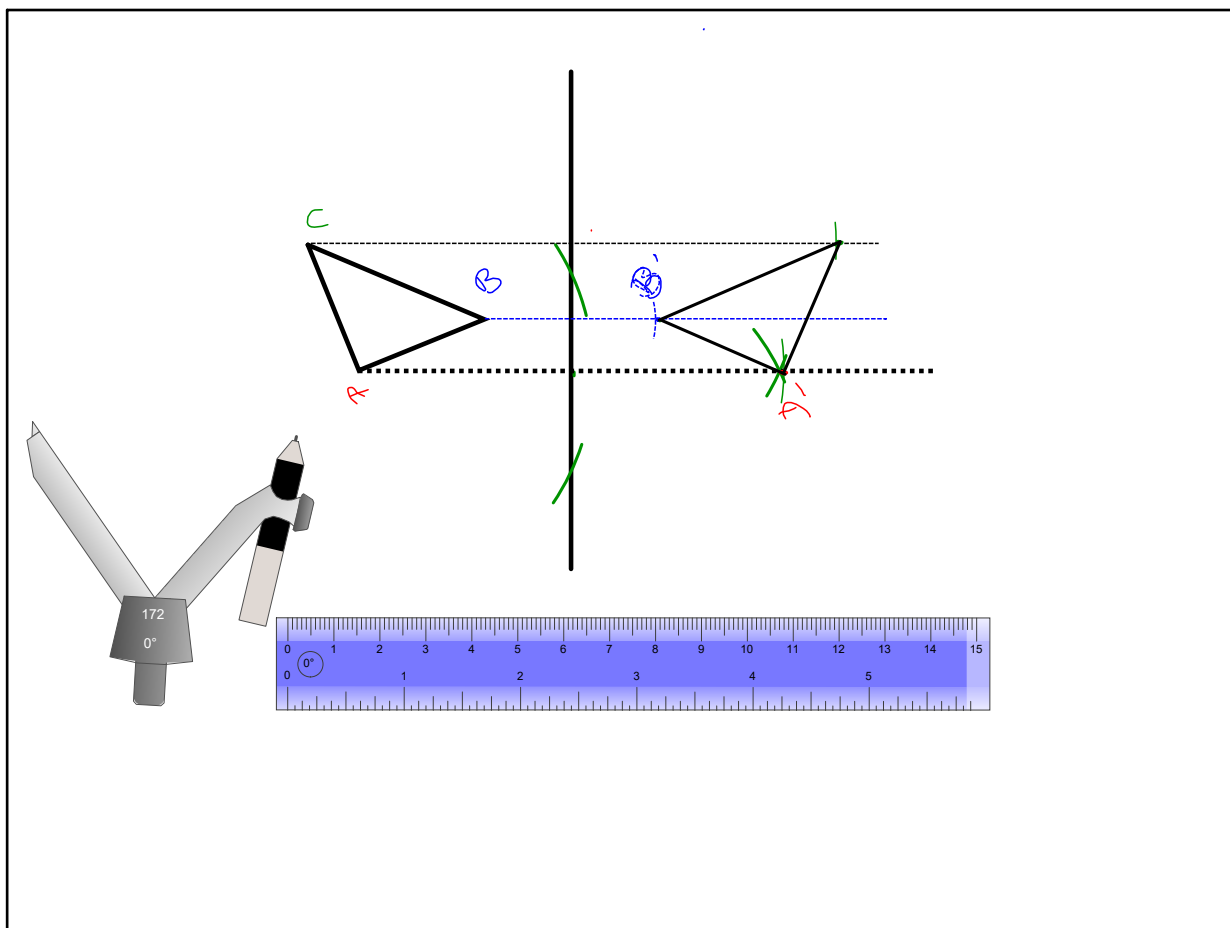
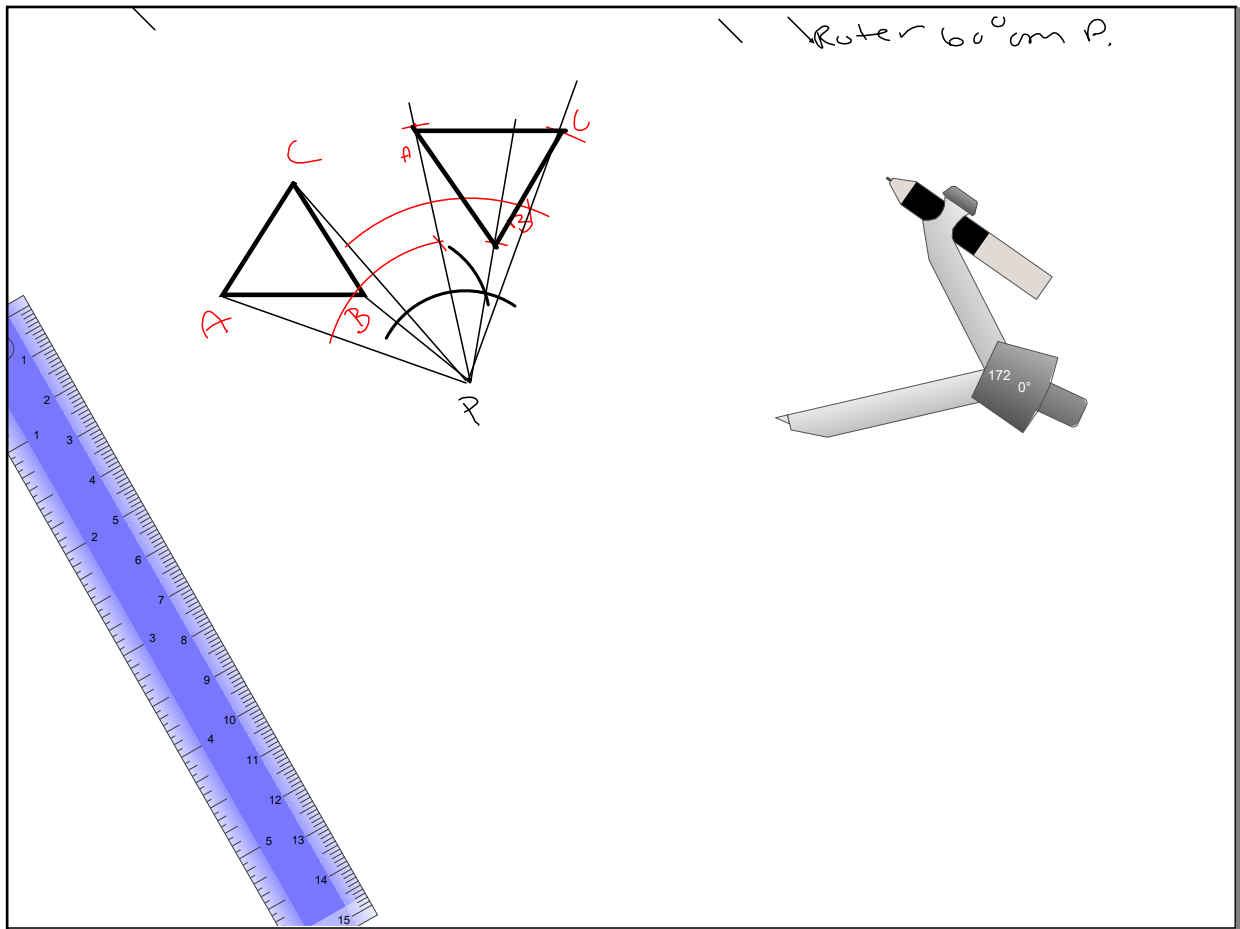




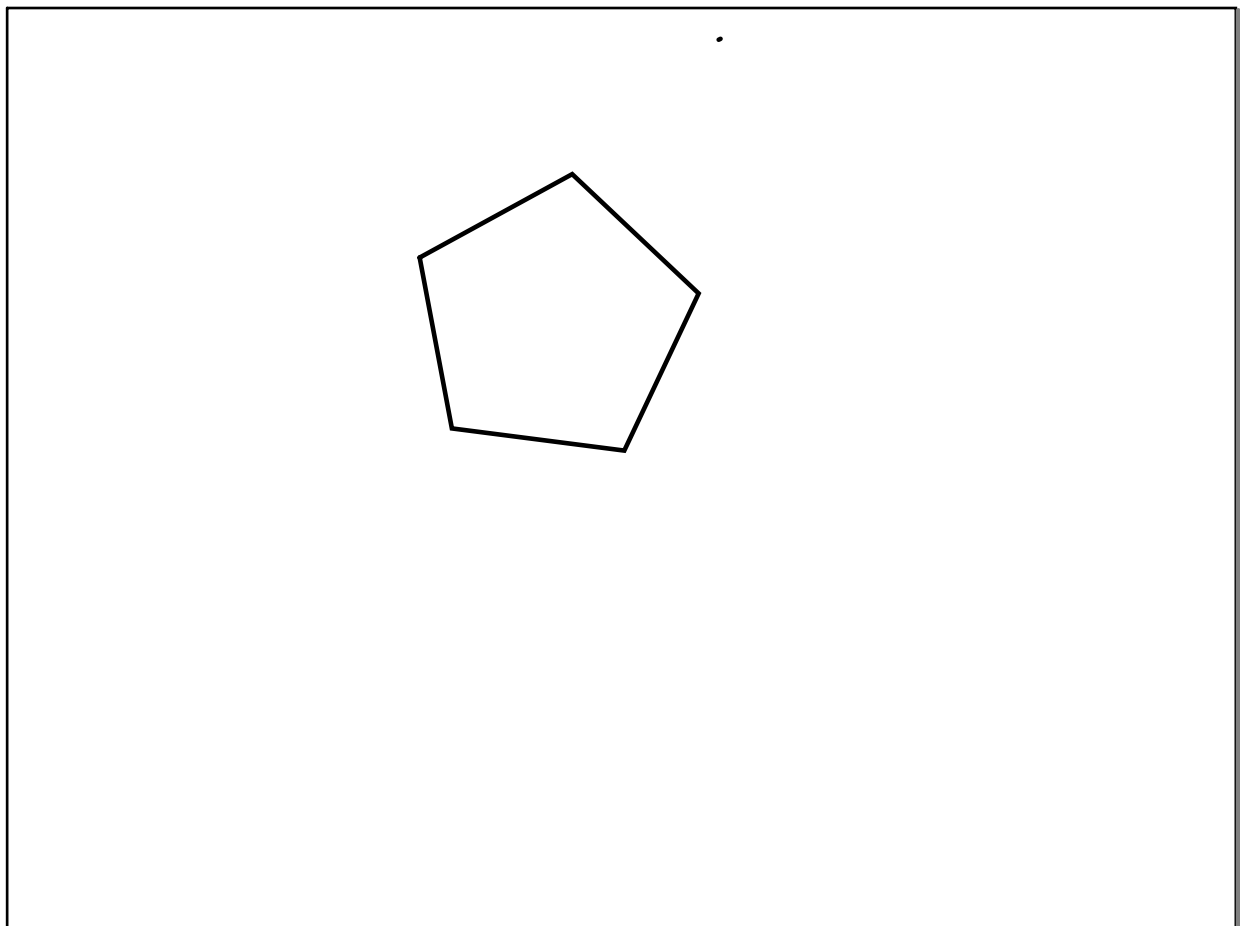
okt. 10-08.41



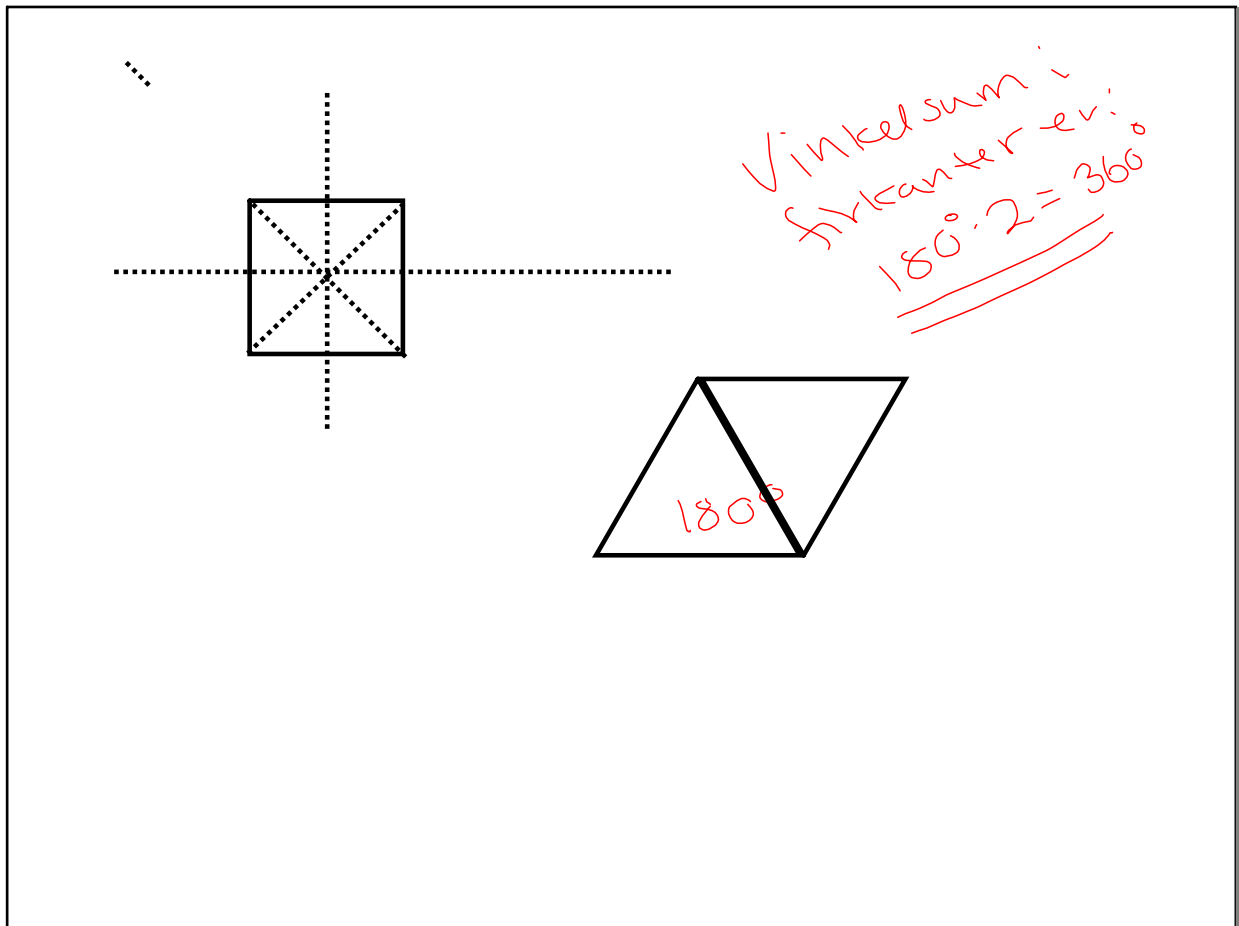
okt. 10-09.12



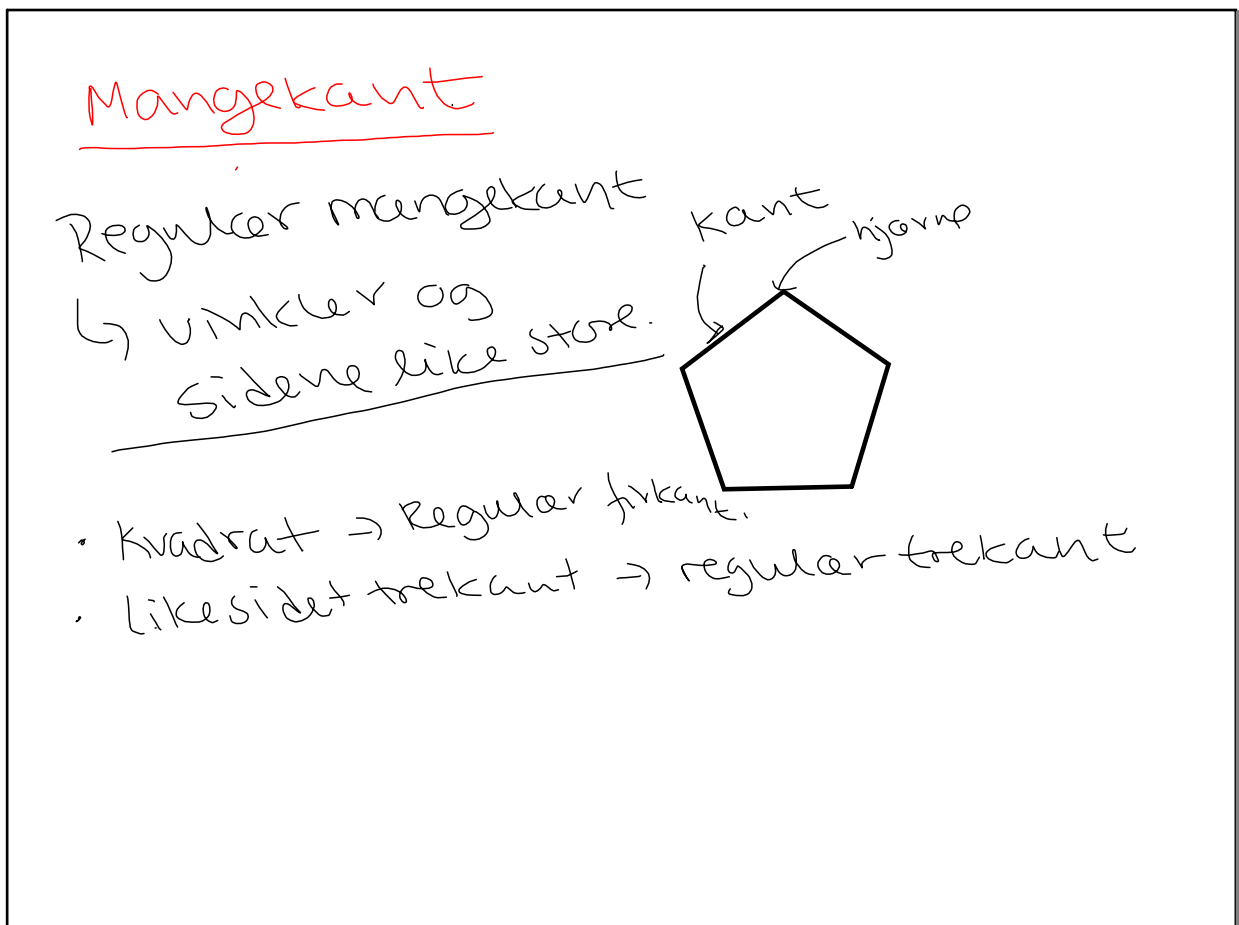
okt. 10-09.20



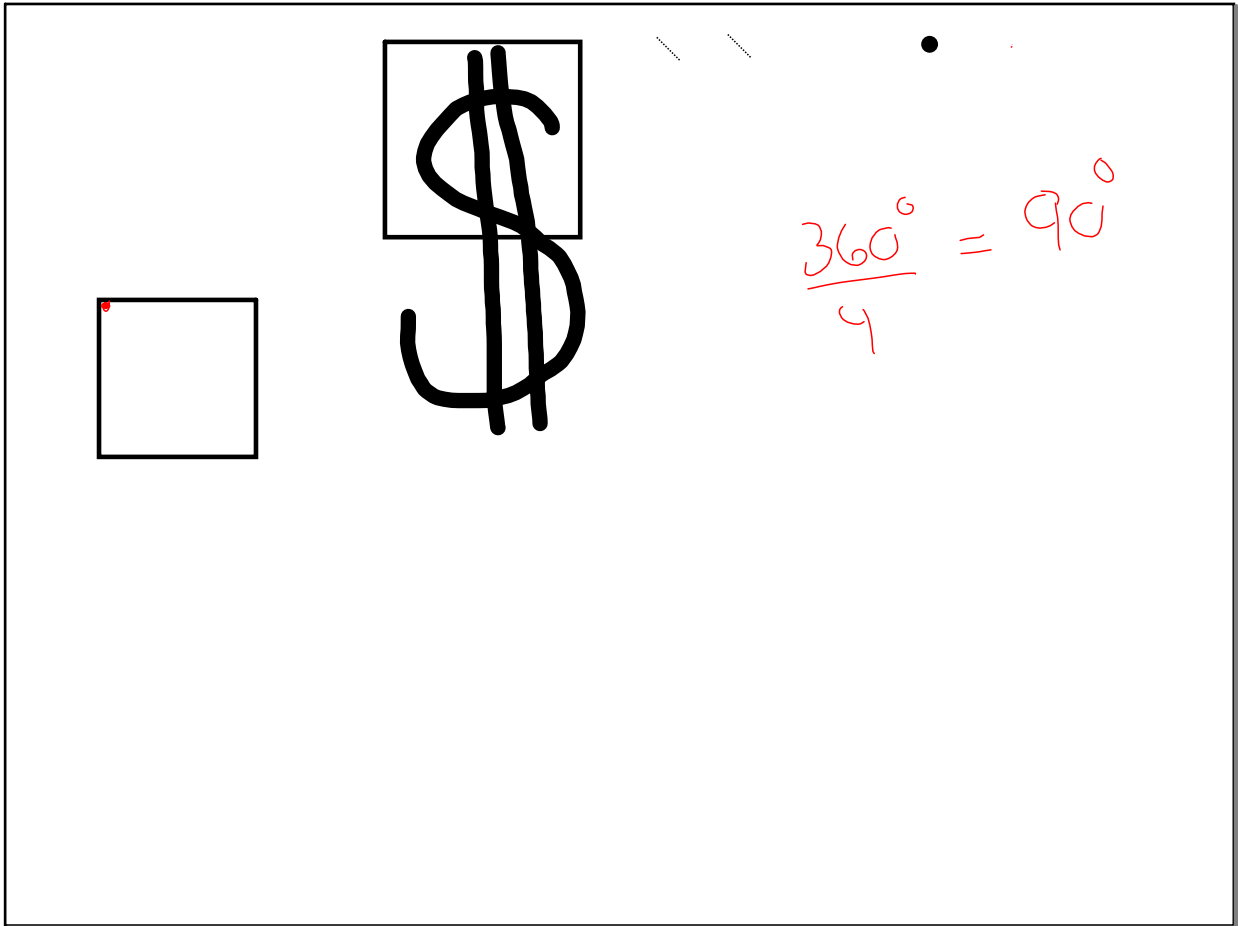
okt. 10-10.01



okt. 10-09.27

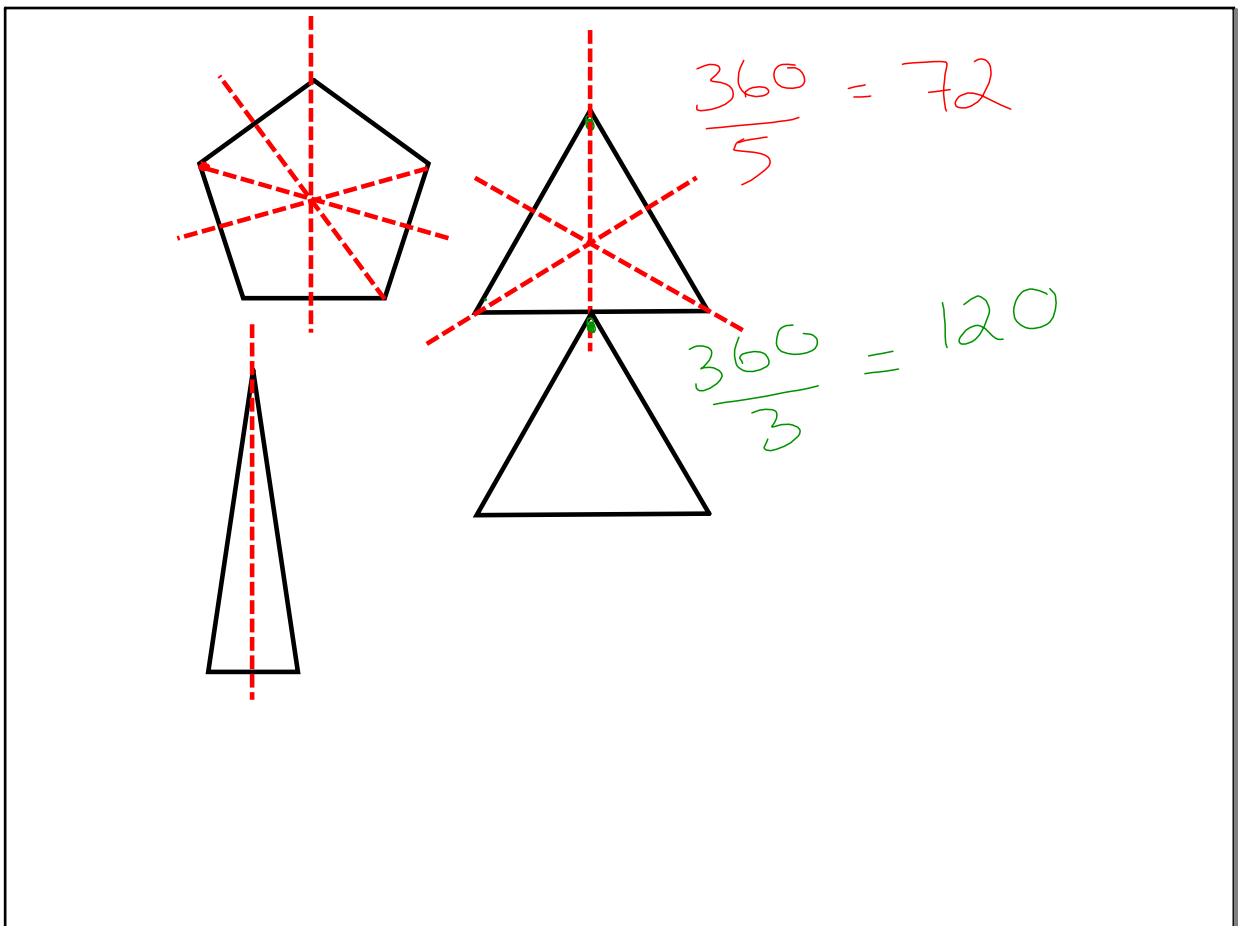


okt. 10-09.31



$$\frac{360^\circ}{4} = 90^\circ$$

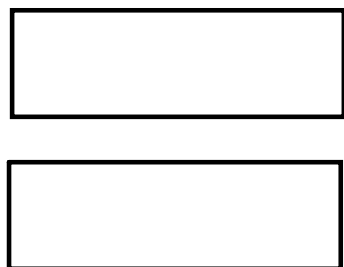
okt. 10-09.35



$$\frac{360}{5} = 72$$

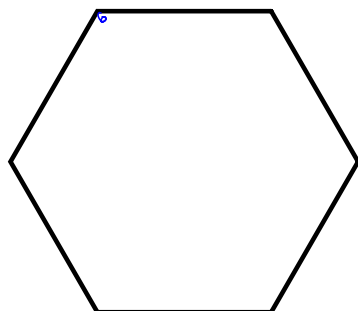
$$\frac{360}{3} = 120$$

okt. 10-09.39



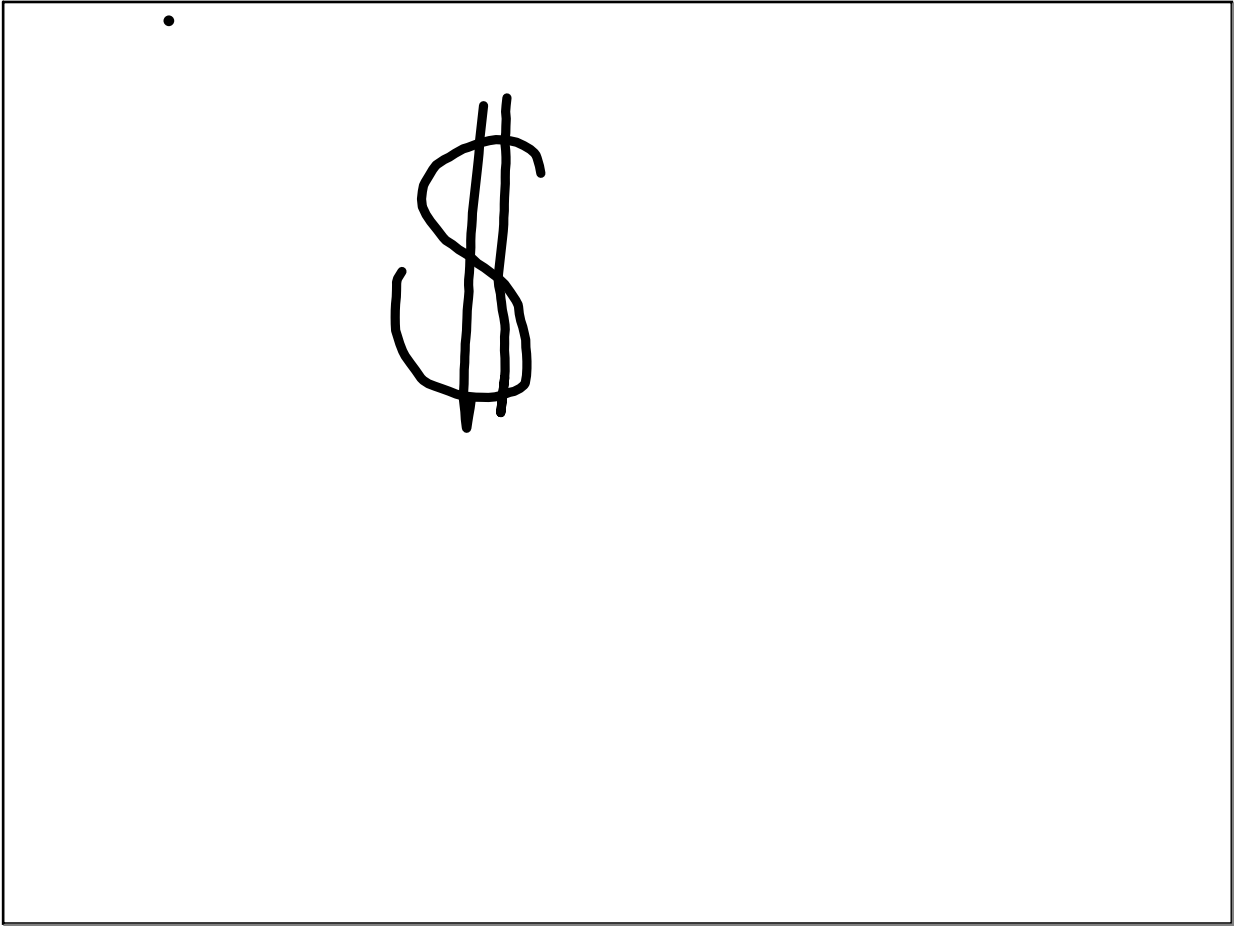
okt. 10-09.59

Regulær sekskant

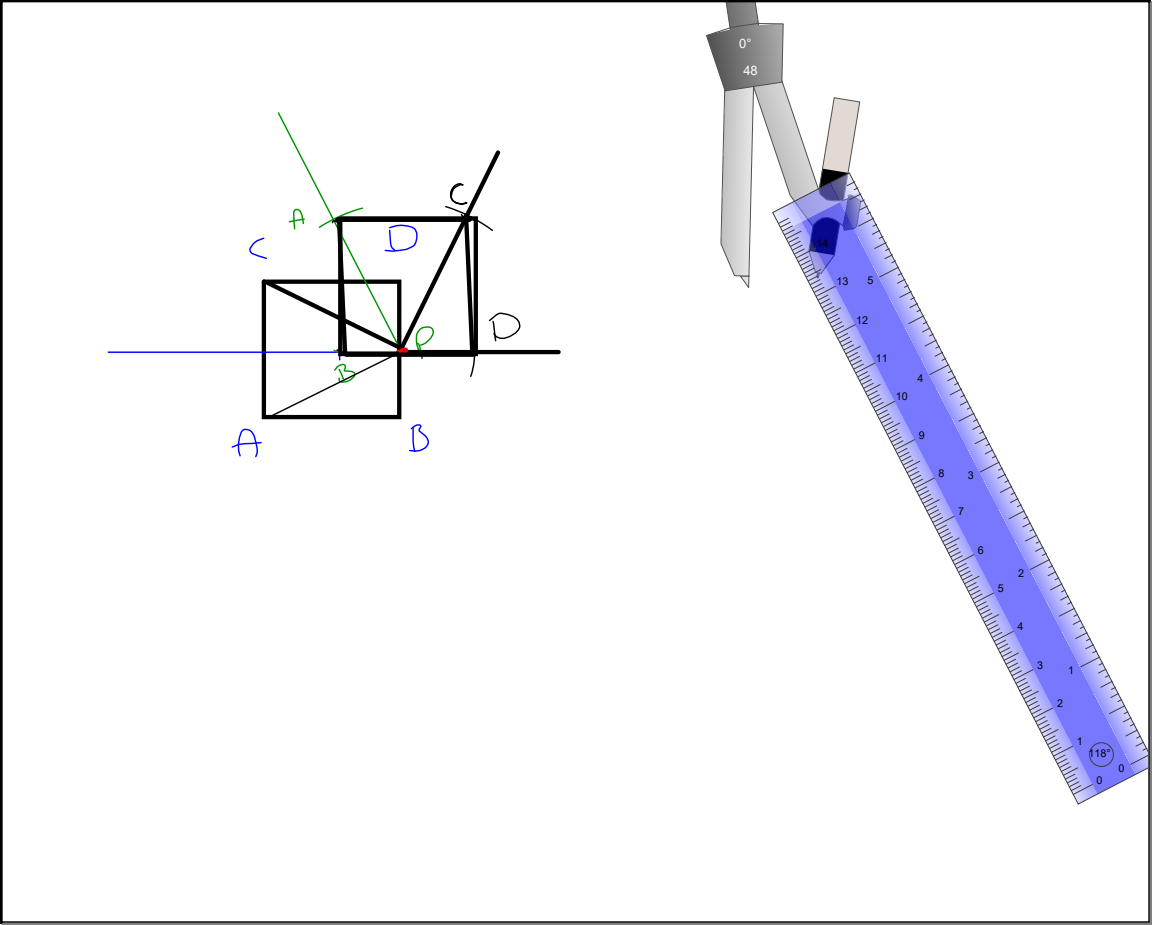


- Rotasjonssymmetri
pa 60° ($360/6$)
- Speilingssymmetri

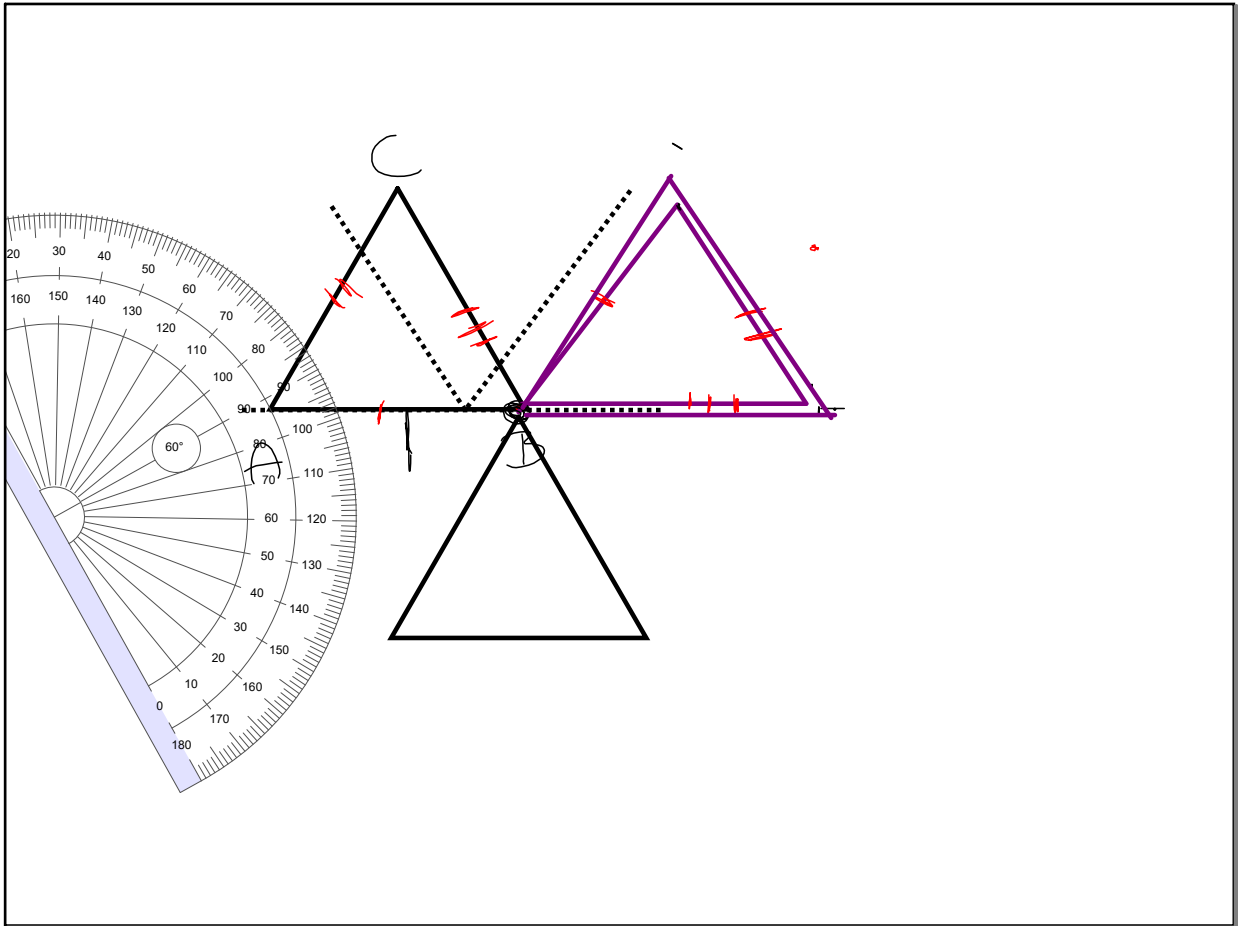
okt. 10-09.46



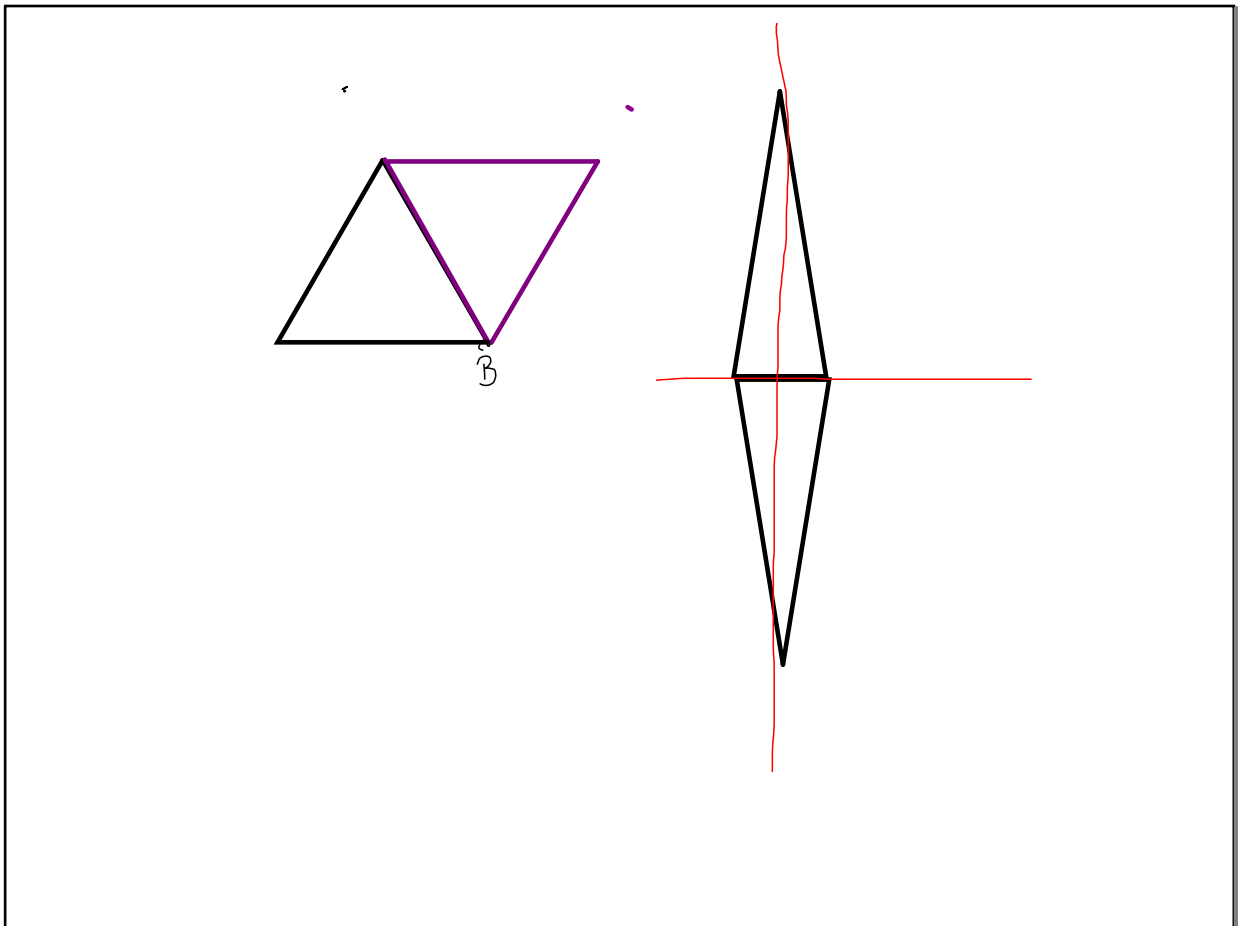
okt. 10-10.06



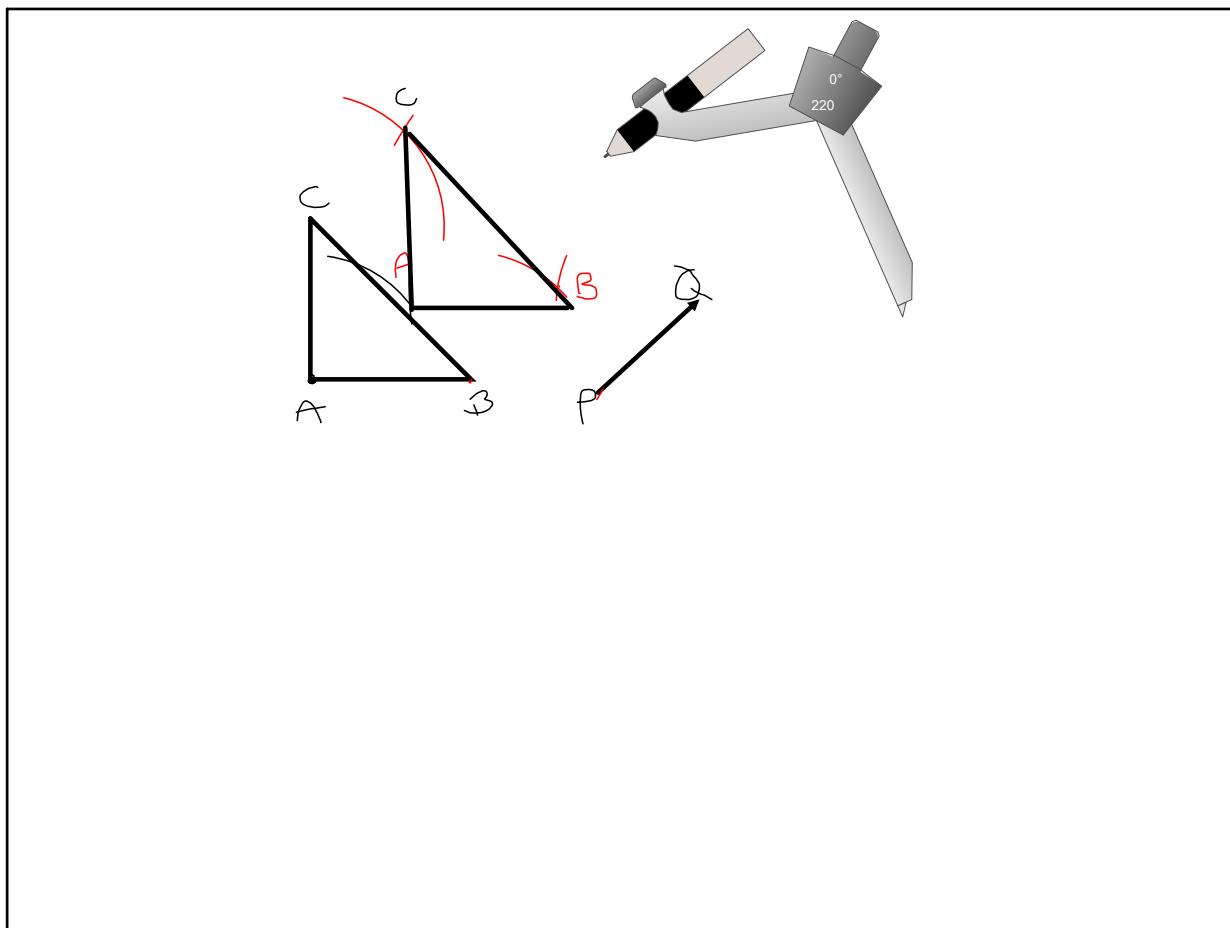
okt. 10-10.09



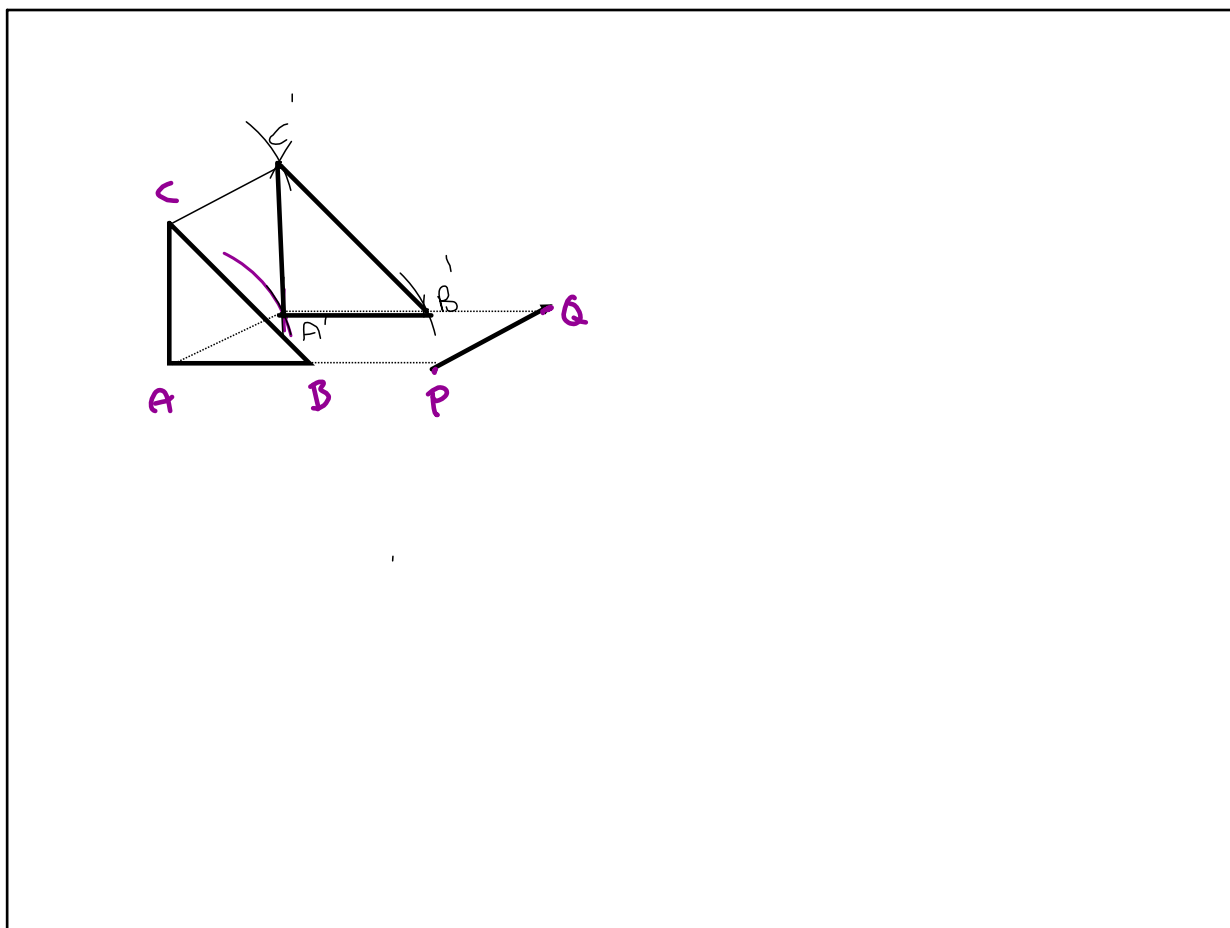
okt. 10-10.26



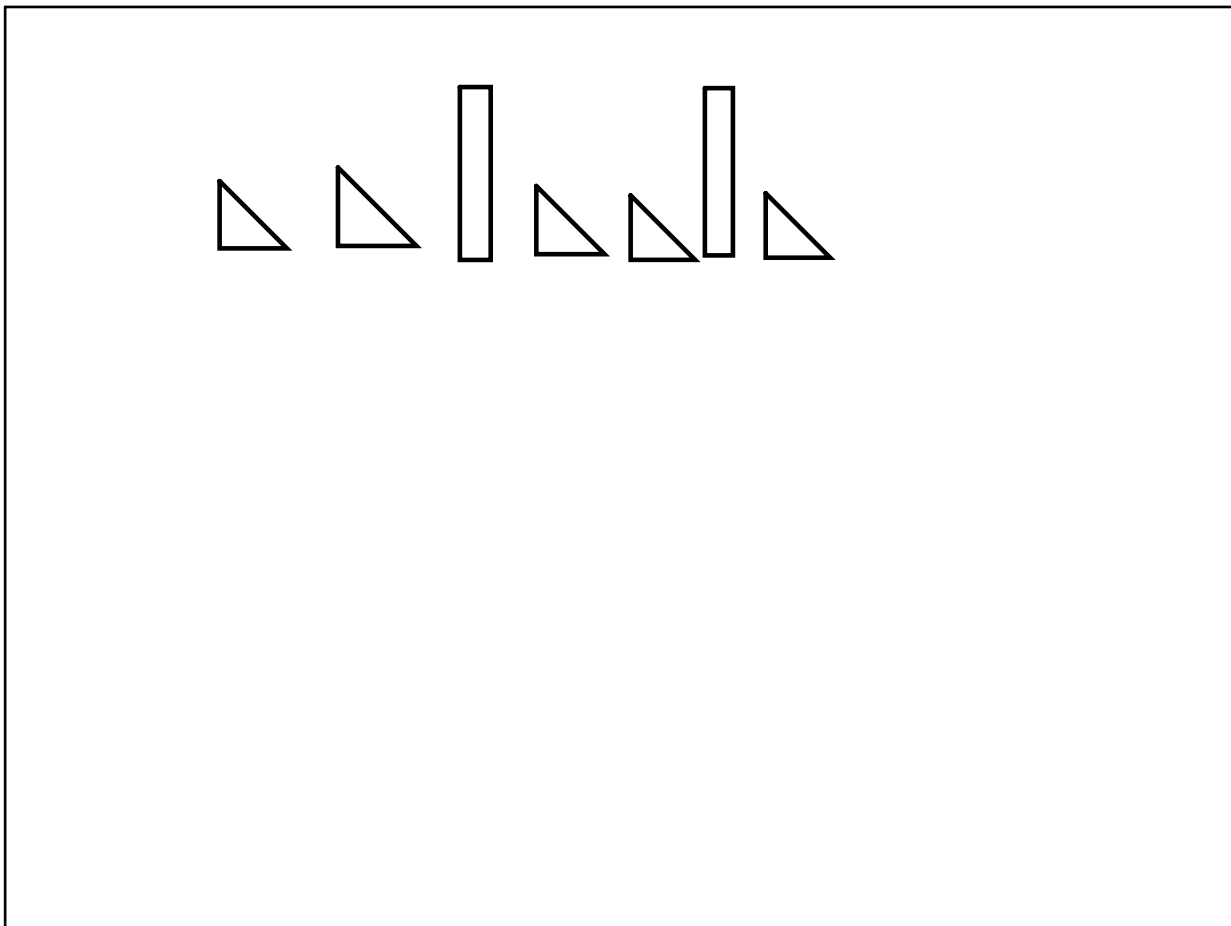
okt. 10-10.34



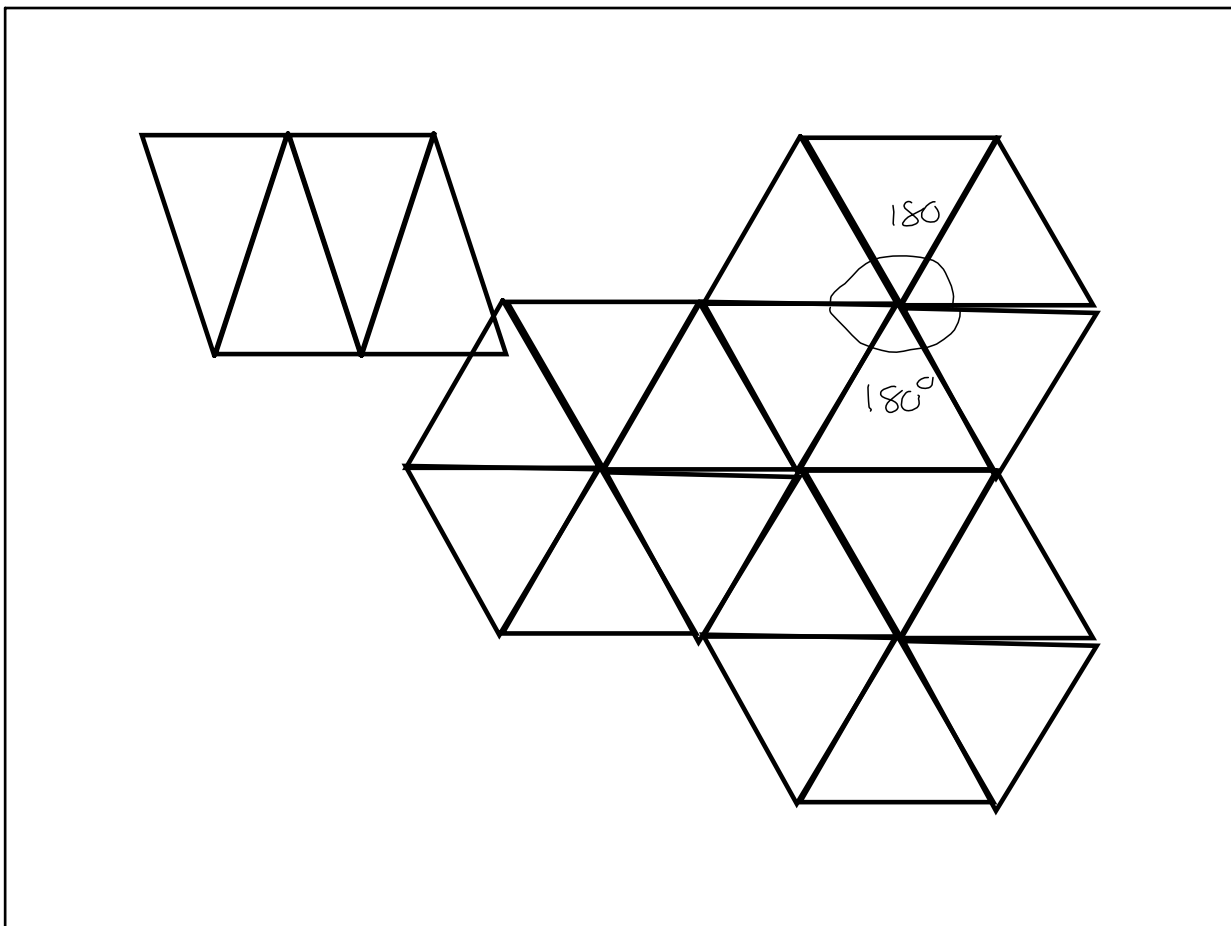
okt. 10-10.44



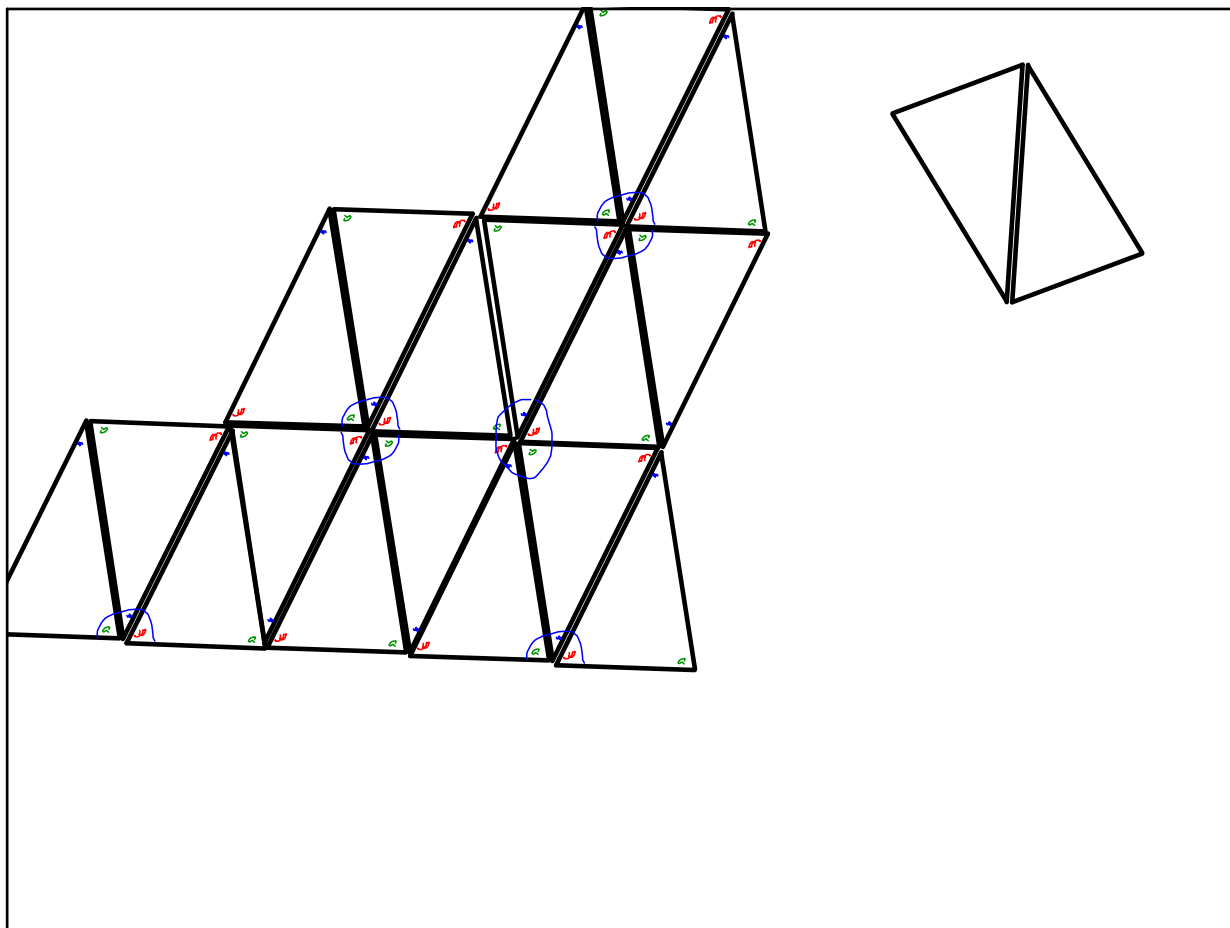
okt. 10-10.52



okt. 10-11.08



okt. 10-11.30

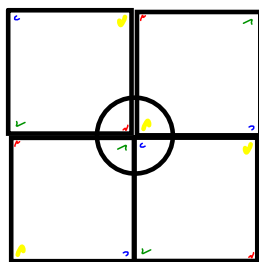


okt. 10-11.39

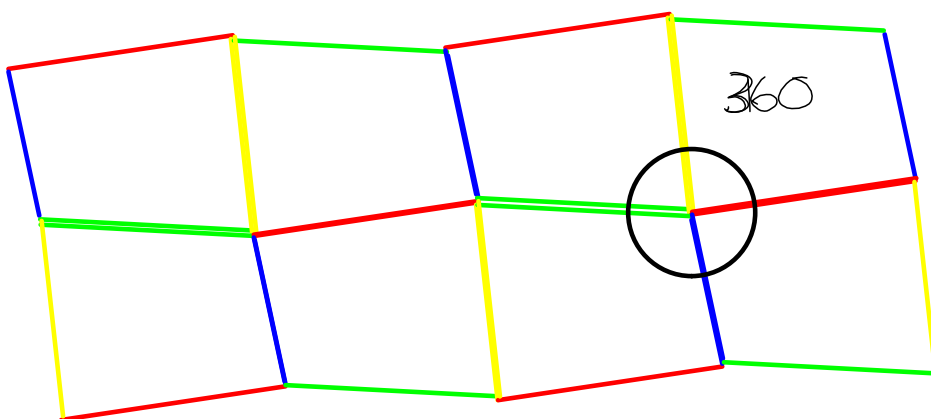
Trikanter tesselerer fordi summen av vinklene er 180° som gir oss 360° når vi "dobler".

-> Vi vil alltid kunne sette de sammen å få tesselering.

okt. 10-11.44



okt. 10-11.47



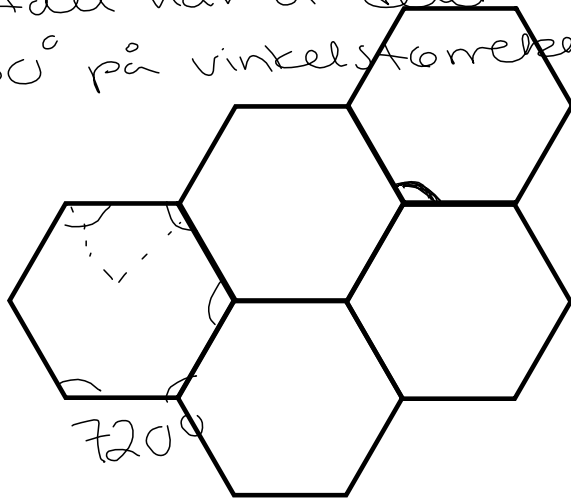
Trekanter: 6 stk for å få 360
 Firkanter: 4, 4 stk. for å få 360

okt. 10-11.22

Regulære mangekantede

tesseborer om vi får
heltall når vi deler
360° på vinkelstørrelsen

Allt
-vinkler
like
store!



$$120^\circ \times 3 = 360^\circ$$

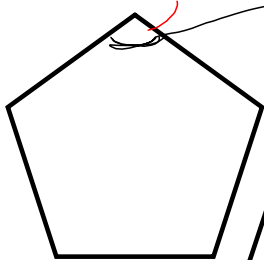
$$\frac{360^\circ}{120^\circ} = 3$$

$\frac{360^\circ}{\text{vinkel}}$ = antall som med for å danne 360°

okt. 10-11.51

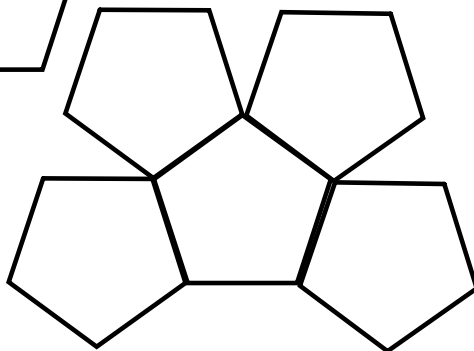
Regulær femkant

$$540 / 5 = 108$$

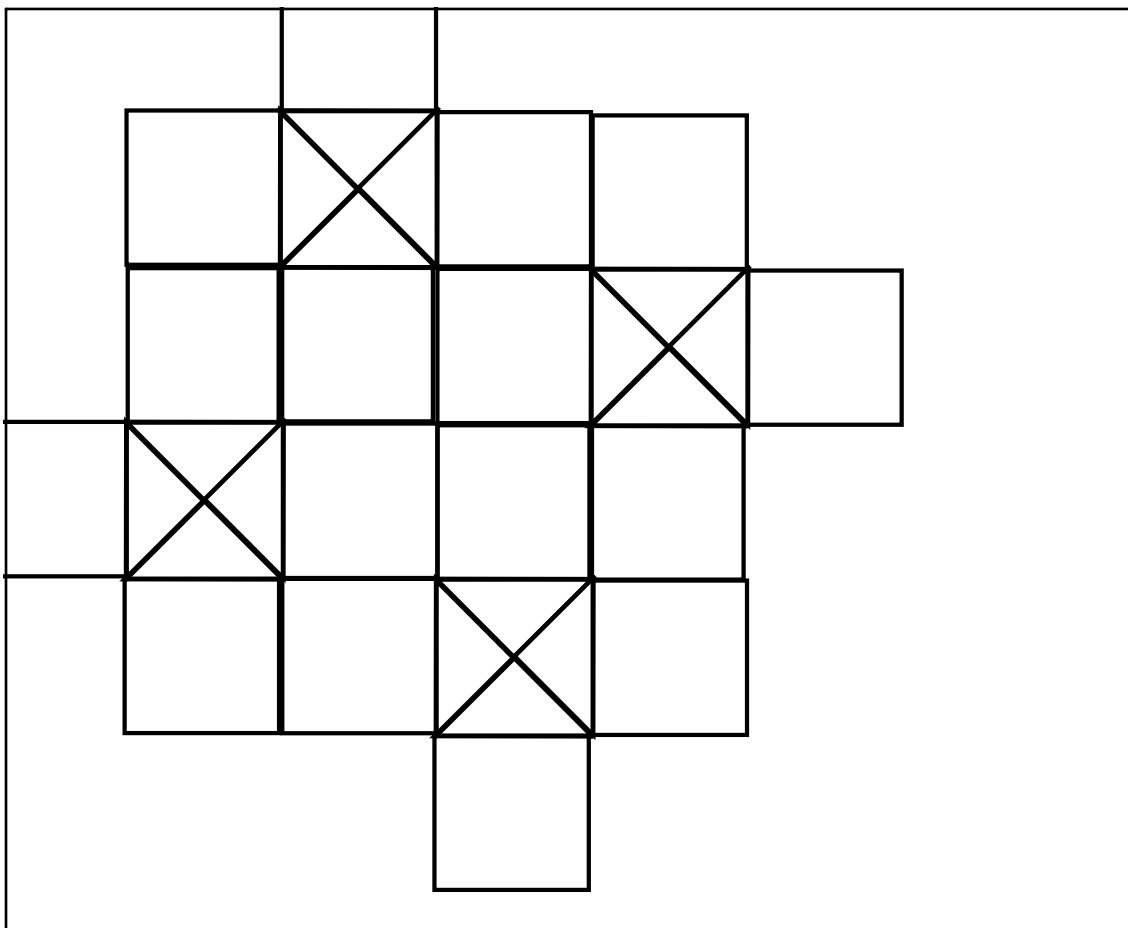


$$\frac{360}{108} = 3,33 \dots$$

- 3 = 180
 - 4 = 360
 - 5 = 540
 - 6 = 720
- } +180
} +180
} +180



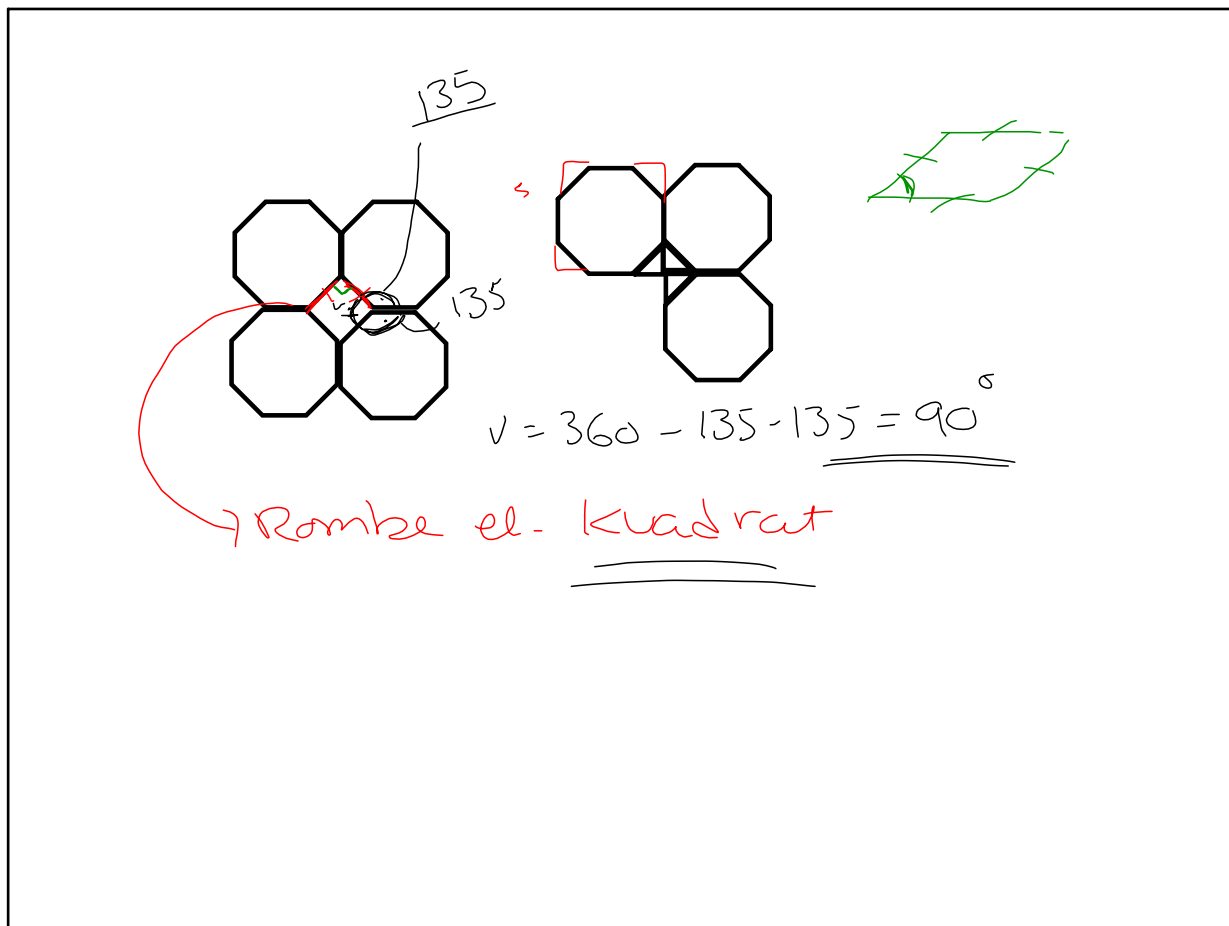
okt. 10-11.57



okt. 10-12.02

$6 \cdot 180 = \underline{1080}$
 $\frac{360}{135} = 2.66\dots$

okt. 10-12.09



okt. 10-12.51

Vinkelsum i mangekant

n kanter så er vinkelsummen

$$(n-2) \cdot 180^\circ$$

3-kant : $n=3 \Rightarrow (3-2) \cdot 180^\circ = 180^\circ$
 4-kant : $n=4 \Rightarrow (4-2) \cdot 180^\circ = 360^\circ$
 5-kant : $n=5 \Rightarrow (5-2) \cdot 180^\circ = 540^\circ$
 osv.

okt. 10-12.53